

SWARNANDHRA

COLLEGE OF ENGINEERING & TECHNOLOGY

(Autonomous)

Accredited by NBA, AICTE, NEW DELHI • Accredited by NAAC with "A" Grade – 3.32/4.00 CGPA

Recognized by UGC Under Sections 2(f) & 12 (B) of UGC Act 1958

Approved by AICTE, New Delhi, Permanent Affiliated to JNTU K, Kakinada Seetharampuram, NARSAPUR-534 280, W.G-Dist., Andhra Pradesh

DEPARTMENT OF S & H TEACHING PLAN

Code Titl		Course Title		Year/ Semester	Branch	Contact Periods/ Week	Academic Year	Date of Commencement of Semester			
			&	11/111	ECE	60/6	2025-26				
Cour	se Outcomes: A	After su	ccess	ful completio	n of this co	ourse, students sho	ould be able	to:			
1	CO1: apply C	auchy	-Riem	ann equation	ns to com	plex functions in			nine v	vhether a	
2	given continuous function is analytic (K3) CO2: evaluate the Taylor's and Laurent's expansions of simple functions, determine the nature of the singularities and calculate residues to evaluate certain integrals (K3)										
3	CO3: Apply different types of distribution functions like Binomial, Poisson, Uniform, Normal (K3)										
4	-	Margina	al, Cor	nditional and	Joint Pr	obability Distribut	ions (K3)				
5	CO5: Apply S	tochas	tic pr	ocess (K3)							
Uni t	Outcome/ Topic Bloom's Level s No.			M	Topics/Activity			Contac t Hour		Delivery Method	
				Introduction		ex variable and Co	T ₁ ,R ₁ ,R ₂	grat	ion	PPT,BB	
	CO1:Students are able to apply Cauchy- Riemann equations to complex functions in order to determine whether a given continuous function is analytic (K3)	-	1.1	Continuity,			T ₁ ,R ₁ ,R ₂			PPT,BB	
			1.3	Differentiability			T1,R1,R2	1		PPT,BB	
		to	1.4	Analyticity			T ₁ ,R ₁ ,R ₂	1	1	PPT,BB	
1		ny	1.5	Cauchy - R Cartesian C problems			T ₁ ,R ₁ ,R ₂	1		PPT,BB	
		111	1.6	Cauchy - F		quations in elated problems	T ₁ ,R ₁ ,R ₂	1		PPT,BB	
		1	1.7	Harmonic fu		and Conjugate	T ₁ ,R ₁ ,R ₂	1	12	PPT,BB	
		1	1.8	problems	33	thod, related	T ₁ ,R ₁ ,R ₂	1		PPT,BB	
		is 1	1.9	Complex int	egration:	Line integral	T ₁ ,R ₁ ,R ₂	1		PPT,BB	
		1.	.10	Cauchy's In proof) ,relat	-	eorem (without ms	T ₁ ,R ₁ ,R ₂	1		PPT,BB	
		1.	.11	Cauchy's int proof), relat		nula (without ns	T1,R1,R2	1		PPT,BB	
		1.	.12		integral for	ormula(without	T ₁ ,R ₁ ,R ₂	1		PPT,BB	

Course Course Title			Year/ Semester	Branch	Contact Periods/ Week	Academic Year	Date of Commencement o Semester			
10000		7,500	UNIT II:	Series expa	nsions an	d Residue Theore	em			Teerco
		i	2.1	Radius of c		T ₁ ,R ₁ ,R ₂	1		PPT,BB	
		Students	2.2	Contractor of the Contractor	SCHOOL CASE COLUMN	series , related	T1,R1,R2	1		PPT,BB
	are	able to	2.3	Problems o	n Taylor's	series	T ₁ ,R ₁ ,R ₂	1]	PPT,BB
	evalu: Taylo		2.4			lated problems	T1,R1,R2	1	1	PPT,BB
	Laure		2.5	Entremental control of the state of the stat		ed problems	T ₁ ,R ₁ ,R ₂	1		PPT,BB
	10.75 × 900 • 1.00 × 4	nsions of	2.6	Problems o			T ₁ ,R ₁ ,R ₂	1		PPT,BB
2	simpl	ions,	2.7	Types of Si Essential si	ngularities	: Isolated ,	T1,R1,R2	1	12	PPT,BB
	nature	mine the e of the larities	2.8	Pole of orde	er m, Resid	dues, related	T ₁ ,R ₁ ,R ₂	1		PPT,BB
	and residu	calculate	2.9	Residue the		rithout proof),	T ₁ ,R ₁ ,R ₂	1		PPT,BB
	evalu	정당()	2.10	Problems o	n Residue	theorem	T ₁ ,R ₁ ,R ₂	1		PPT,BB
	certai		2.11	Evaluation	of real inte	gral of the type	T ₁ ,R ₁ ,R ₂	1	1	PPT,BB
		A 23	2.12	Evaluation	of real inte	egral of the type ated problems	T1,R1,R2	1		РРТ,ВВ
		10.000.000.000	LINUT II	I: Probability						-
3	CO3:	77. 77.000	UNITI	i. Probability	& Nandon					
		nial,	3.1	frequency:	Experimer iscrete a	ets and relative nts and Sample nd Continuous	T ₁ ,R ₁ ,R ₂	1	12	
	Unifo	DOMESTIC CO.	3.2	Events, pr	obability	definitions and	T ₁ ,R ₁ ,R ₂	1		PPT,BB
			3.3	Joint Proba	bility, Con	ditional pability	T ₁ ,R ₁ ,R ₂	1		PPT,BB
			3.4	Independer related prob	nt Events, E	Bayes' Theorem,	T ₁ ,R ₁ ,R ₂	1		РРТ,ВВ
			3.5	Random va	riables (di	screte and	T ₁ ,R ₁ ,R ₂	1		РРТ,ВВ
			3.6	Probability properties	density fur	nctions,	T ₁ ,R ₁ ,R ₂	1		PPT,BB
			3.7	Mathematic	cal expecta	ation	T1,R1,R2	1	1	PPT,BB
			3.7	Mixed rand	om variabl	e, distribution , Properties	T1,R1,R2	1		PPT,BB
			3.9	Binomial dis	stribution,	related	T ₁ ,R ₁ ,R ₂	1		PPT,BB
			3.10	Poisson dis problems			T1,R1,R2	1		PPT,BB
			3.11	Uniform dis problems	tribution, r	related	T1,R1,R2	1		PPT,BB

100	distributions	4.4	Chebyshev's inequality, related problems	T2,R2,R3	1	12	PPT,BB
1	(K3)	4.5	Moment generating function	T ₂ ,R ₂ ,R ₃	1		PPT,BB
	-1-4	4.6	Characteristic function	T ₂ ,R ₂ ,R ₃	1		PPT,BB
4		4.7	Multiple Random Variables: Vector	T ₂ ,R ₂ ,R ₃	1		РРТ,ВВ
		9383	Random Variables	one proces	1	13	PPT,BB
1		4.8	Joint Distribution Function, Properties of Joint Distribution	T ₂ ,R ₂ ,R ₃	- A - 1252		
		4.9	Marginal Distribution Functions	T2,R2,R3	1		PPT,BB
		4.10	Conditional Distribution and Density— Point Conditioning	T2,R2,R3	1		PPT,BB
		4.11	Interval conditioning, related problems	T2,R2,R3	1		PPT,BB
	-	4.12	Statistical Independence, related problems	T ₂ ,R ₂ ,R ₃	1		PPT,BB
		UNIT	V: Stochastic Processes-Spectral Characte	ristics			
	100	5.1	Introduction to stochastic process	T2,R2,R3	1		PPT,BB
- 7	14	5.2	The Power Spectrum and its Properties	T2,R2,R3	1		PPT,BB
1 4		5.3	Properties of power spectrum	T2,R2,R3	1		PPT,BB
		5.4	Auto correlation function	T2,R2,R3	1		PPT,BB
		5.5	Relation between Power Spectrum and Auto correlation function	T2,R2,R3	1		РРТ,ВВ
1	CO5:Students	5.6	The Cross-Power Density Spectrum	T2,R2,R3	1		PPT,BE
. 5	are able to apply Stochastic	5.7	Properties of Cross-Power Density Spectrum	T2,R2,R3	1	12	PPT,BE
	process (K3)	5.8	Cross-Correlation Function	T2,R2,R3	1	12	PPT,BE
		5.9	Relationship between Cross-Power Spectrum and Cross-Correlation Function.	T ₂ ,R ₂ ,R ₃	1		PPT,BB
		5.10	Introduction to Spectral characteristics of system response		1		РРТ,ВВ
1		5.11	power density spectrum of response	T ₂ ,R ₂ ,R ₃	1		PPT,BB
		5.12	cross power spectral density of input and output of a linear system	T2,R2,R3	1		PPT,BB
-		<u></u>	Cumulative Propos	ed Periods		60	
		_			_		
Text	Benks:	itle, Edit	ion, Publisher, Year of Publication				
140							
1	B. S. Grewal, Hi	gher Eng	ineering Mathematics, 44/e, Khanna Publish	ers, 2012.	area.		th mark
-		bles, Pro	obability, Random variables & Random Sign	ai Principle	s, IN	лн, 4	" Edition
Allen .	2001.	-					
	Books:	Calo Edie	ion, Publisher, Year of Publication			_	
3. No	Authors, Book I	me, Euli	rocesses for Engineers, Cambridge unipress,	2015	_		
1	2.394 R 2.57						
1		ulic and	S. Unnikrishna Pillai - Probability, Random	Variables an	d Sto	chas	tic
2	Athanasios Papo Processes, 4th	Ed., PH	1, 2002.				

4	S.P Eugene Xavier -St	atistical Theory of Communication, Ne	w Age Publications, 2003.			
Web D	Details					
1	https://en.wikibooks.or	rg/wiki/Calculus/Complex_analysis (Fu	nctions of a Complex Variant			
2	https://youtu.be/60ReaZWsyCA (complex power series)					
3	https://www.probabilit	y and random variables (Probability and	d Random variables)			
4	https://youtu.be/8URfl2y	frBY (Moment generating functions)				
5		du.stochastic process (Stochastic Proces	ss)			
	37	Name	Signature witr			
i.	Faculty I	Mrs P.Durga Bhavani	P. Dy Ch			
ii.	Faculty II	Mrs R.V.Lakshmi	R.V.			
iii.	Course Coordinator	Mrs P.Durga Bhavani	P. Duy Col			
iv.	Module Coordinator	Mrs R.V.Lakshmi	R.V. Last			
v.	HOD of S & H	Dr. V. SWAMINADHAM.	V. Jwamingo			

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